

# DYNAMIC ECONOMIC LOAD DISPATCH PROBLEMS IN MICROGRID CONTAINING RENEWABLE ENERGY SOURCES BASED ON TUNICATE SWARM ALGORITHM

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## Abstract:

Dynamic Economic Load Dispatch (DELD) is a significant problem in microgrid including renewable energy sources (RESs). The aim of this paper is to minimize the overall cost of the system while ensuring that the power demands of the consumers are met. However, with the added complexity of RESs, conventional optimization techniques may not be able to provide optimal solutions. This is where metaheuristic algorithms come into play, which are optimization techniques inspired by natural phenomena such as biological, nature, and animal behavior. This study covers a new bio-inspired algorithm called Tunicate Swarm Algorithm (TSA) applied for solving DELD in microgrid with considering the variable power output of RES such as wind and solar energy. The DELD problem should also incorporate various constraints such as power balance and generation limits. Four cases of DELD containing RESs are treated. The obtained results are compared to other methods. The result shows that for the DELD problem, the TSA demonstrates the superiority in terms of optimizing the generation cost compared to other optimization techniques.

## 1 Introduction

DELD problems are increasingly relevant in modern power systems due to rising renewable energy penetration and fluctuations in demand [1]. They aim to determine the optimal generation schedule for committed units over a time horizon, minimizing operating cost while considering real-time changes in load and system constraints. Microgrid is defined as a set of distributed energy resources (DERs), containing RESs and energy storage systems (ESS), and loads that operate locally as a single controllable entity [2]. Among them, the economic factor, which is mainly related to the DELD problem [3], is at the center of many power system operation problems [4]. In the literature, many modeling techniques can be adopted and presented to solve the complex problem of DELD successfully. Mousumi Basu in [5], recommends chaotic fast converging evolutionary programming (FCEP), rooted in the provisional equation, to solve the DELD problem involving RESs and pumped hydro energy storage. C. Shilaja in Ref. [6], proposed a new method called euclidean affine flower pollination (EAFP) algorithm and binary flower pollination algorithm (BFPA) based on the combination of economic emissions dispatch (EED) for thermal energy production units and photovoltaic plants to optimize the economic dispatch problem. For instance Ref. [7], W. Sheng studied the problem of a hybrid dynamic EED (DEED) with DERs using improved COOT optimization algorithm.

In the literature [8], Multi-objective DEED with RESs and electrical vehicle using equilibrium optimizer are presented to optimize the total operating cost of the system. In addition [9], proposes a DELD scheme for isolated microgrids incorporating demand response through price incentives and particle swarm optimization for efficient dispatch. To reduce the operating cost and the pollutant emission targets [3], addresses a microgrid

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connected to the main grid, considering uncertainties in demand, renewable generation, and market prices. It employs a PSO algorithm for DELD while incorporating environmental objectives and demand response programs. In addition, for efficient and scalable dispatch [10], focuses on a decentralized DELD approach for microgrids with communication limitations and uncertainties by applied a distributed alternating direction method of multipliers (ADMM) algorithm. DELD in microgrids with various resource integration is a crucial aspect of optimizing energy management in these complex systems[11]. It involves strategically distributing the time-varying electrical load demand among different available resources within the microgrid[12], considering multiple factors such as resource types (wind, PV, diesel engines, and ESS), maximizing RES utilization, maintaining power quality, and ensuring system stability[13], [14]. In [15], experts have explored the optimization of DERs and battery storage considering cost, emissions, and reliability with an enhanced GWO algorithm. For studied DELD in microgrid, [16] proposed a hybrid scheme combining GA and PSO while considering battery storage, demand response, and uncertainty in renewable generation. Integration of machine and deep learning to solve the DELD problem for microgrids considering RESs has become the research hotspot[17].

For example [18], incorporates deep learning for forecasting and real-time DELD in microgrids with uncertainties. Hence, [19], utilizes deep reinforcement learning based DELD for microgrids with battery storage. Furthermore, for demand response integration within DELD, and enhancing flexibility and cost-effectiveness in microgrids with RESs, authors have proposed Q-learning technique[20].

In this study, a new optimal dispatch algorithm for units considering RESs access is suggested, considering conditions such as variable power output of wind and PV energy and unit power balance and generation limits.

In order, to address these problems, this work investigates this problem of optimizing the DELD of island microgrid by combining thermal unit, wind and PV. The contributions of this study are as follows.

- Tunicate Swarm Algorithm (TSA) is introduced into this model to address the complexity of the problems in system optimization.
- The validation of the DELD model in a 3-unit system containing wind and PV, proves that the TSA has achieved favorable results in terms of operation cost compared to other methods, thus having satisfying practical value.

The remainder of this study is organized as follows. Section 2 develops the DELD model including thermal, wind and PV systems. The TSA is described in depth in Section 3. In section 4, a 3-unit test system with different combinations of RES is used to analyze and check the best results of the proposed models. Finally, Section 5 summarizes the main points of this research and gives an outlook for future work.

## 2 Mathematical Model

We consider a power system supplied by a set of power plants each having several machines. The cost of the fuel necessary for the production of electric power for each machine is a monotonic function of the power demanded [21].

### 2.1 Presentation of the objective function

In the problem of economic dispatching, the objective function to be minimized is the total production cost of the thermal groups. The curves giving the production cost of each unit (in \$/h or MBtu/h) according to the power it delivers in (MW) were determined experimentally [22], [23].

Each unit will produce its own power according to a convex cost function given by the following quadratic function [24]:

$$F_i(P_i) = u_i P_i^2 + v_i P_i + w_i \quad (1)$$

where  $F_i(P_i)$  is the fuel cost of  $i^{th}$  generator with output  $P_i$ , the cost coefficients  $u_i, v_i$  and  $w_i$  corresponding of generator  $i$  are numerically known.

For the minimization of operating cost of generators, the objective function is [25]:

$$\text{Min } F_T = \sum_{i=1}^{NG} F_i(P_i) \quad (2)$$

where  $F_T$  is the total generation cost in (\$/h) while meeting the load demand, and  $NG$  is the number of generating units.

### 2.2 Formulation of DELD problem

DELD problems are particularly challenging because they involve complex nonlinear functions, non-convex constraints, and time-varying loading conditions. In addition, the solution must be obtained in real-time to ensure the stability and reliability of the power system.

The mathematical formulation for the DELD problem can be expressed as follows[1], [25]:

$$\text{Min } F_T = \sum_{t=1}^{24} \sum_{i=1}^{NG} \{u_i P_i^2(t) + v_i P_i(t) + w_i\} \quad (3)$$

where  $P_i(t)$  is rated output power produced by generator  $i$  at hour  $t$ .

### 2.3 Isolated microgrid in the presence of RESs:

The total cost of production can be reduced by the integration of RESs for the generation of power. In this study, the optimization objectives of operating cost of an isolated microgrid by combining thermal unit, wind farms and PV systems is discussed. The cost of RESs includes investment cost, operational and maintenance (O&M) costs can be computed as follows: [27, 28]:

$$F(P_{RES}) = P_{RES} [AC \cdot I^P + G^E] \quad (4)$$

where  $P_{RES}$  is the output power of the RESs in (KW),  $AC$  is the annuitization coefficient,  $I^P$  is the ratio of investment cost to unit installed power in (\$/kW) and  $G^E$  is the O&M cost in (\$/kW).

Annuitization coefficient can be determined as below:

$$AC = \frac{r}{[1 - (1 + r)^{-N}]} \quad (5)$$

where  $r$  is the interest scale and  $N$  is the investment duration in years.

The O&M cost for the wind and PV ( $G^E$ ) is 0.016\$/kW, invested at 9% interest scale for 20 years[26]. The  $I^P$  cost to establish power for PV and wind is 5000\$/kW and 1400\$/kW respectively[26]. Thus, the cost function of PV plants and wind becomes  $547.7483 \times P_{PV}$  and  $153.3810 \times P_{wind}$  respectively [27].

Therefore, with the integration of PV and wind, Eq. (3) becomes:

$$\text{Min } F_T = \sum_{t=1}^{24} \sum_{i=1}^{NG} \{u_i P_i^2(t) + v_i P_i(t) + w_i\} + 547.7483 \times P_{PV}(t) + 153.3810 \times P_{wind}(t) \quad (6)$$

The objective function (6) is subject to the following constraints:

- i. *Generator operating limits*: The power produced by the thermal units as well as the RESs must lie between an upper and lower limit. Mathematically,

$$P_i^{min} \leq P_i \leq P_i^{max} \tag{7}$$

$$P_{RES}^{min} \leq P_{RES} \leq P_{RES}^{max} \tag{8}$$

where  $P_i^{min}$  and  $P_i^{max}$  indicates the minimum and the maximum power limits of  $i^{th}$  thermal unit respectively.  $P_{RES}^{min}$  and  $P_{RES}^{max}$  are respectively the lower and upper boundary power of RESs.

ii. Power balance constraint:

$$P_{Load} = P_i + P_{RES}, i = 1, 2, \dots, NG \tag{9}$$

This study focuses on minimizing Eq. (6) using TSA and a comparative study among the methods as well as the minimized costs of ELD.

### 3 Tunicate swarm algorithm TSA

The standard tunicate swarm algorithm is a very simple bio-inspired metaheuristic optimization technique, which was first proposed by S. Kaur et al. in 2020 [28]. Its inspiration and performance were proven over the seventy-four benchmark problems compared to several other optimization approaches. Its efficacy and unpretentious structure draw the attention to employ and improve this algorithm for the considered problem. The swarm behavior of TSA is given in Figure 1[29]. TSA main limitates the swarming behaviors of the marine tunicates and their jet propulsions during its navigation and foraging procedure [30]. In TSA, a population of tunicates (PT) is swarming to search for the best source of food (SF), representing the fitness function. In this swarming, the tunicates update their positions related to the first best tunicates stored and upgraded in each iteration. The TSA begins where the tunicate population is initialized randomly, considering the permissible bounds of the control variables. The dimension of the control variables composes each tunicate (T), which can be initially created as [31].

$$T_n(m) = T_{min}^n + r \times (T_{max}^n - T_{min}^n) \quad \forall m \in PT_{size} \ \& \ n \in Dim \tag{10}$$

Where  $T(m)$  stands for the position of each tunicate (m);  $n$  refers to each control variable in dimension Dim;  $r$  is a random number within the range (0:1); and  $PT_{size}$  indicates the number of tunicates in the population.

The update process of the tunicates position is executed by the following formula [28]:

$$T_n(m) = \frac{T_n^*(m) - T_n^*(m - 1)}{2 + c_1} \tag{11}$$

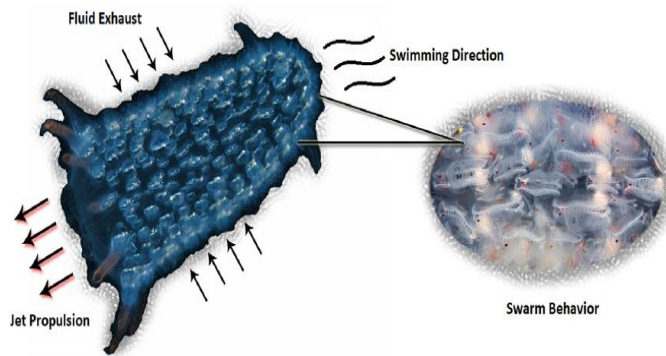


Figure 1. Inspiration of TSA [28].

where  $T^*$  denotes the updated position of the  $m^{th}$  tunicate based on Eq. (11);  $T(m-1)$  refers to the neighbor tunicate;  $c_1$  is a random number, uniformly distributed between 0 and 1.

$$T_n^*(m) = \begin{cases} SF + A \times |SF - rand \times T_n(n)| & \text{if } rand \geq 0.5 \\ SF - A \times |SF - rand \times T_n(n)| & \text{if } rand < 0.5 \end{cases} \quad (12)$$

where  $SF$  is the source of food, which is represented by the best tunicate position in the whole population;  $A$  is a randomized vector to avoid any conflicts between tunicates and each other, which is expressed as [29]:

$$= \frac{c_2 + c_3 - 2c_1}{VT_{min} + c_1(VT_{max} - VT_{min})} \quad (13)$$

where  $c_2$  and  $c_3$  are random numbers within the range (0:1);  $VT_{min}$  and  $VT_{max}$  represent the initial and subordinate speeds to produce social interaction.

The TSA method's key steps can be described as [30]:

- Step 1:** Create the initial tunicate population.
- Step 2:** Determine the control units of TSA and stopping criteria.
- Step 3:** Compute the fitness values of the initial population.
- Step 4:** Select the position of the tunicate with the best fitness value.
- Step 5:** Create the new position for each tunicate by using Eq. (11).
- Step 6:** Update the position of the tunicates that are out of the search space.
- Step 7:** Compute the fitness values for the new positions of tunicates.
- Step 8:** Until stopping criteria is satisfied, repeat steps 5–8.
- Step 9:** After stopping criteria is satisfied, save the best tunicate position.

The flowchart of TSA for ELD problem is display in Figure 2.

## 4 Simulation results and discussion

### 4.1 Description of the system

In order to evaluate the robustness and the efficiency of the proposed TSA in solving DELD problems, the test system is an isolated microgrid (Figure 3) consisting of 3-thermal units, one PV of 40 MW, and one wind of 30 MW [27]. Four case studies have been taken into consideration. The constraints involved are power balance constraints and generator operating limits constraint. The obtained results are compared with these obtained by other optimization approaches recently published in the literature. DELD with four combination include:

- Case I: DELD problem of 3-units system without both PV and wind
- Case II: DELD problem of 3-units system with wind
- Case III: DELD problem of 3-units system with PV
- Case IV: DELD problem of 3-units system with all RESs

The TSA was applied to solve DELD problem for all cases studies in MATLAB R2017a, under windows 8.1 on Intel Core i5 CPU 2.60 GHz, with 8.0 GB RAM. The TSA program for all combination is executed with 50 population and 1000 iterations. While performing TSA, the initial and subordinate speeds  $VT_{min}$  and  $VT_{max}$  were 1 and 4 respectively. The values of these parameters are determined after performing various experiments, which provide more exploratory power. The operating ranges, cost coefficients of the thermal generators are depicted in Table 1.

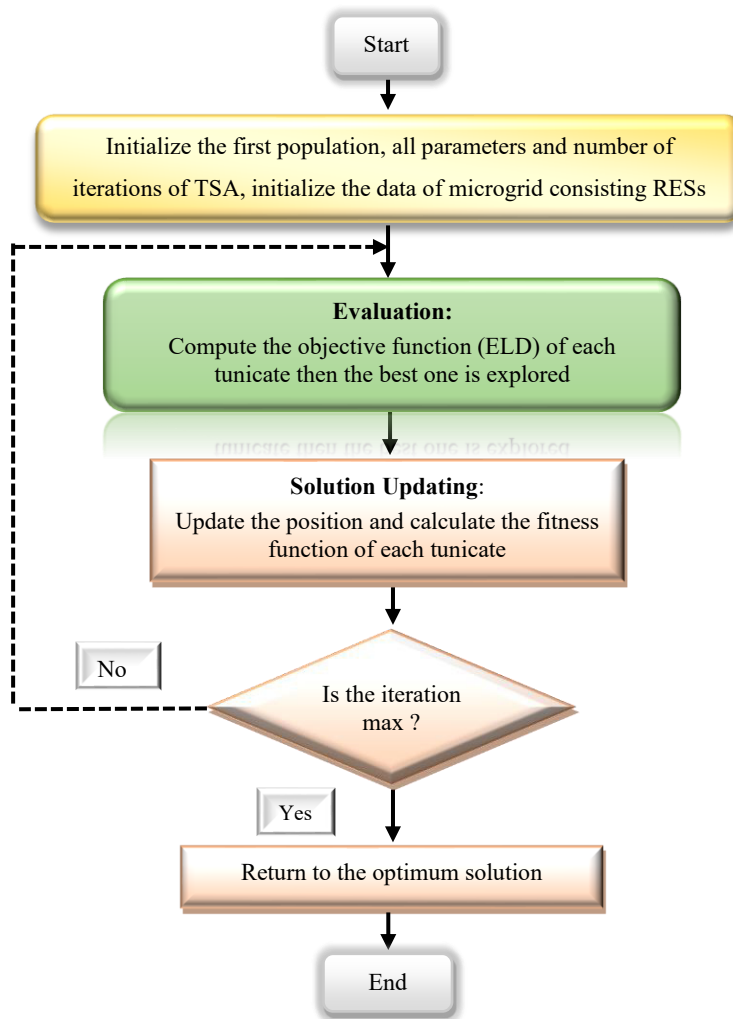


Figure 2. Flowchart diagram of the TSA for ELD.

The 24 h output powers of PV and wind are estimated for a range of solar radiation and wind speed at a site on the east coast of USA [27] and are displayed in Table 2 along with the hourly load demand of the microgrid.

Table 1. Generator power limits and cost coefficients of 3-unit power system [27].

| Parameters     | Generator 1 | Generator 2 | Generator 3 |
|----------------|-------------|-------------|-------------|
| $u$            | 0.0024      | 0.0029      | 0.0210      |
| $v$            | 21.00       | 21.16       | 20.40       |
| $w$            | 1530        | 992         | 600         |
| $P_{min}$ (MW) | 37          | 40          | 50          |
| $P_{max}$ (MW) | 150         | 160         | 190         |

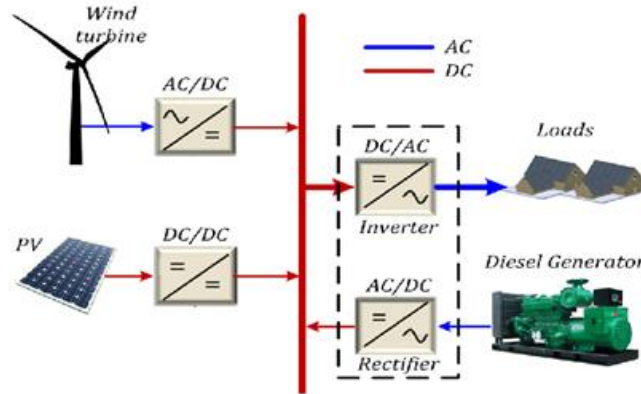


Figure 3. Architecture of an isolated microgrid [32].

Table 2. Day ahead forecasted hourly output of wind and PV and hourly load demand in (MW).

| Hour (h) | $P_{wind}$ | $P_{pv}$ | $P_{Load}$ | Hour (h) | $P_{wind}$ | $P_{pv}$ | $P_{Load}$ |
|----------|------------|----------|------------|----------|------------|----------|------------|
| 1        | 1.70       | 0        | 140        | 13       | 14.35      | 31.94    | 240        |
| 2        | 8.5        | 0        | 150        | 14       | 10.35      | 26.81    | 220        |
| 3        | 9.27       | 0        | 155        | 15       | 8.26       | 10.08    | 200        |
| 4        | 16.66      | 0        | 160        | 16       | 13.71      | 5.3      | 180        |
| 5        | 7.22       | 0        | 165        | 17       | 3.44       | 9.57     | 170        |
| 6        | 4.91       | 0.03     | 170        | 18       | 1.87       | 2.31     | 185        |
| 7        | 14.66      | 6.27     | 175        | 19       | 0.75       | 0        | 200        |
| 8        | 25.56      | 16.18    | 180        | 20       | 0.17       | 0        | 240        |
| 9        | 20.58      | 24.05    | 210        | 21       | 0.15       | 0        | 225        |
| 10       | 17.85      | 39.37    | 230        | 22       | 0.31       | 0        | 190        |
| 11       | 12.8       | 7.41     | 240        | 23       | 1.07       | 0        | 160        |
| 12       | 18.65      | 3.65     | 250        | 24       | 0.58       | 0        | 145        |

#### 4.2 Comparative Analysis

The operating costs associated with performing DELD on the islanded microgrid test system for different scenarios utilizing TSA are listed in Table 3. It is evident that TSA achieved better and more favorable results than PSO, DE, SOS, GWO and WOA in each of the four different combination of varying power demands. For the cases of « without all RESs », « with wind », « with PV », and « with all RESs », TSA incurred the following costs: \$162596.3346, \$203188.0930, \$270682.6897, and \$297385.567, respectively. For the previously indicated cases, these obtained values represent the lowest cost that might be achieved by the compared methods. It is also to be noted that the maximum costs when we used PV system compared with wind energy.

Table 3. Comparison of microgrid cost (in \$) for DELD with different techniques.

| Algorithm  | Case 1             | Case 2             | Case 3             | Case 4            |
|------------|--------------------|--------------------|--------------------|-------------------|
| PSO[27]    | 176177.9174        | 204025.1856        | 272045.2086        | 299919.4357       |
| DE[27]     | 176169.0719        | 204006.9307        | 272036.3530        | 299916.0487       |
| SOS[27]    | 176168.0424        | 204001.6485        | 272034.5209        | 299906.3846       |
| GWO[27]    | 176167.8827        | 203988.3084        | 272033.5531        | 299896.6562       |
| WOA[27]    | 176166.5662        | 203987.5104        | 272031.0549        | 299895.7531       |
| <b>TSA</b> | <b>162596.3346</b> | <b>203188.0930</b> | <b>270682.6897</b> | <b>297385.567</b> |

Hourly outputs (in MW) of conventional generators for DELD using TSA (case I) are illustrate in Table 4.

Table 4. Hourly outputs (in MW) of 3-thermal units for DEED using TSA (case I).

| Hours | ELD       | $P_{G1}$ | $P_{G2}$ | $P_{G3}$ |
|-------|-----------|----------|----------|----------|
| 1     | 6367,226  | 39,4976  | 48,403   | 50.000   |
| 2     | 7465,770  | 49,117   | 42,109   | 50.000   |
| 3     | 7664,121  | 38,049   | 57,530   | 50.000   |
| 4     | 8731,630  | 37,000   | 56,341   | 50.000   |
| 5     | 7587,914  | 63,120   | 44,660   | 50.000   |
| 6     | 7444,630  | 72,700   | 41,960   | 50.000   |
| 7     | 12111,221 | 61,911   | 41,884   | 50.000   |
| 8     | 18864,833 | 39,406   | 48,704   | 50.000   |
| 9     | 22975,645 | 53,453   | 61,916   | 50.000   |
| 10    | 31103,542 | 77,326   | 45,454   | 50.000   |
| 11    | 13893,351 | 45,706   | 123,687  | 50.000   |
| 12    | 12868,768 | 130,363  | 47,064   | 50.000   |
| 13    | 26965,576 | 74,052   | 69,504   | 50.000   |
| 14    | 23289,124 | 79,264   | 53,576   | 50.000   |
| 15    | 13779,482 | 80,892   | 50,768   | 50.000   |
| 16    | 11595,000 | 70,588   | 40,000   | 50.000   |
| 17    | 12260,860 | 64,146   | 42,570   | 50.000   |
| 18    | 8540,575  | 90,671   | 40,000   | 50.000   |
| 19    | 7489,585  | 63,465   | 85,783   | 50.000   |
| 20    | 8273,934  | 85,801   | 104,030  | 50.000   |
| 21    | 8007,089  | 48,576   | 120,500  | 50.000   |
| 22    | 7241,732  | 66,573   | 72,841   | 50.000   |
| 23    | 6685,627  | 57,579   | 51,202   | 50.000   |
| 24    | 6285,104  | 54,419   | 40,000   | 50.000   |

Table 5 list the hourly output of the thermal generators for case II when DEED was evaluated using TSA. Test case IV becomes more complex than the three cases studied above. The best statistical results of TSA are recorded in Table 7.



Table 5. Hourly outputs (in MW) of 3-thermal units for DEED using TSA (case II).

| Hours | ELD       | $P_{G1}$ | $P_{G2}$ | $P_{G3}$ |
|-------|-----------|----------|----------|----------|
| 1     | 6312.176  | 37.001   | 52.998   | 50.001   |
| 2     | 7560.125  | 37.000   | 62.999   | 50.001   |
| 3     | 7780.932  | 37.005   | 67.995   | 50.001   |
| 4     | 9017.288  | 37.001   | 72.999   | 50.001   |
| 5     | 7672.326  | 37.002   | 77.998   | 50.000   |
| 6     | 7421.154  | 37.000   | 83.000   | 50.000   |
| 7     | 9019.918  | 37.000   | 87.999   | 50.001   |
| 8     | 10795.224 | 37.001   | 92.999   | 50.000   |
| 9     | 10654.927 | 37.002   | 122.998  | 50.000   |
| 10    | 10654.826 | 37.001   | 142.999  | 50.000   |
| 11    | 10090.433 | 37.003   | 152.997  | 50.000   |
| 12    | 11198.737 | 40.001   | 159.999  | 50.000   |
| 13    | 10328.171 | 37.001   | 152.999  | 50.000   |
| 14    | 9294.861  | 37.001   | 132.998  | 50.000   |
| 15    | 8556.835  | 37.002   | 112.998  | 50.000   |
| 16    | 8977.609  | 37.000   | 92.998   | 50.002   |
| 17    | 7195.687  | 37.000   | 82.998   | 50.001   |
| 18    | 7265.154  | 37.000   | 97.999   | 50.000   |
| 19    | 7404.940  | 37.001   | 112.999  | 50.000   |
| 20    | 8153.232  | 37.000   | 153.000  | 50.000   |
| 21    | 7835.107  | 37.000   | 137.999  | 50.000   |
| 22    | 7129.594  | 37.001   | 102.999  | 50.000   |
| 23    | 6626.044  | 37.001   | 72.998   | 50.000   |
| 24    | 6242.795  | 37.002   | 57.998   | 50.000   |

Table 6. Hourly outputs (in MW) of 3-thermal units for DEED using TSA (case III).

| Hours | ELD       | $P_{G1}$ | $P_{G2}$ | $P_{G3}$ |
|-------|-----------|----------|----------|----------|
| 1     | 6051.430  | 37.000   | 53.000   | 50.000   |
| 2     | 6256.384  | 37.002   | 62.998   | 50.000   |
| 3     | 6359.081  | 37.005   | 67.995   | 50.000   |
| 4     | 6461.934  | 37.000   | 72.999   | 50.000   |
| 5     | 6564.921  | 37.001   | 77.999   | 50.000   |
| 6     | 6684.514  | 37.003   | 82.997   | 50.000   |
| 7     | 10205.720 | 37.001   | 87.999   | 50.000   |
| 8     | 15737.321 | 37.001   | 92.998   | 50.001   |
| 9     | 20671.714 | 37.000   | 122.999  | 50.001   |
| 10    | 29481.830 | 37.002   | 142.998  | 50.000   |
| 11    | 12185.971 | 37.002   | 152.998  | 50.000   |
| 12    | 10337.464 | 40.004   | 159.996  | 50.000   |
| 13    | 25622.234 | 37.004   | 152.996  | 50.000   |
| 14    | 22392.499 | 37.002   | 132.998  | 50.000   |
| 15    | 12811.200 | 37.001   | 112.998  | 50.001   |
| 16    | 9777.844  | 37.004   | 92.996   | 50.000   |
| 17    | 11909.998 | 37.001   | 82.998   | 50.001   |
| 18    | 8243.625  | 37.002   | 97.998   | 50.001   |
| 19    | 7289.902  | 37.001   | 112.999  | 50.000   |
| 20    | 8127.174  | 37.001   | 152.999  | 50.000   |
| 21    | 7812.104  | 37.000   | 137.999  | 50.000   |
| 22    | 7082.055  | 37.003   | 102.997  | 50.000   |
| 23    | 6461.931  | 37.001   | 72.999   | 50.000   |
| 24    | 6153.840  | 37.000   | 57.999   | 50.001   |

Table 7. Hourly outputs (in MW) of 3-thermal units for DEED using TSA (case IV).

| Hours | ELD       | $P_{G1}$ | $P_{G2}$ | $P_{G3}$ |
|-------|-----------|----------|----------|----------|
| 1     | 7684,770  | 47,900   | 40.000   | 50.000   |
| 2     | 8757,480  | 51,225   | 40.000   | 50.000   |
| 3     | 8927,570  | 55,580   | 40.000   | 50.000   |
| 4     | 10008.000 | 53,339   | 40.000   | 50.000   |
| 5     | 8835,910  | 66,930   | 40,851   | 50.000   |
| 6     | 8702,090  | 67,690   | 46,970   | 50.000   |
| 7     | 13357,300 | 63,795   | 40.000   | 50.000   |
| 8     | 20180.000 | 48,110   | 40.000   | 50.000   |
| 9     | 24233,900 | 69,373   | 45,107   | 50,8899  |
| 10    | 32382,700 | 72,014   | 50,764   | 50.000   |
| 11    | 15390.000 | 77,700   | 69,521   | 72,1678  |
| 12    | 14445,200 | 77,479   | 73,329   | 76,6198  |
| 13    | 28325,700 | 72,9683  | 66,554   | 54,0366  |
| 14    | 24603,500 | 74,708   | 58,132   | 50.000   |
| 15    | 15088,800 | 72,525   | 59,133   | 50.000   |
| 16    | 12846,700 | 68,411   | 42,177   | 50.000   |
| 17    | 13507,800 | 65,867   | 40,847   | 50.000   |
| 18    | 9849,240  | 72,485   | 56,722   | 51,4579  |
| 19    | 8880,200  | 73,784   | 70,461   | 55,0038  |
| 20    | 9943,460  | 77,493   | 80,148   | 82,1884  |
| 21    | 9536,730  | 78,211   | 77,785   | 68,4508  |
| 22    | 8581,260  | 72,535   | 62,343   | 54,5358  |
| 23    | 7933,450  | 65,287   | 43,493   | 50.000   |
| 24    | 7558,810  | 54,419   | 40.000   | 50.000   |

Tables 4-7 shows the hourly capacity of conventional generators for DELD with different combination of RESs using TSA. All obtained values are said to satisfy the equality and inequality constraints. During the first and last hours of low load demand, the generator will produce the minimum power required to meet demand. However, during peak periods of high demand, thermal units have been shown to provide maximum output compared to the rest of the timeframe. These values are much higher if RESs are not considered.

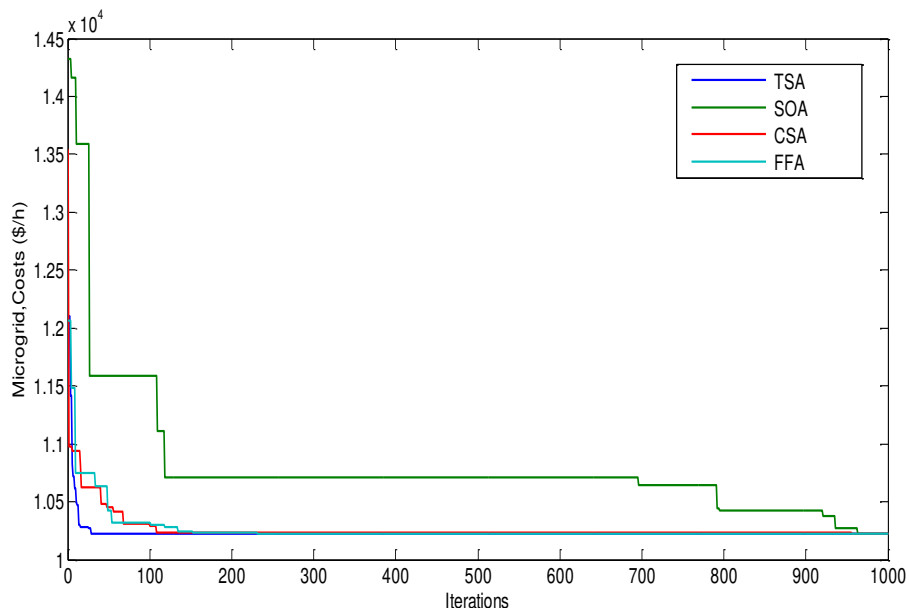


Figure 3. Total cost curve at the load = 250 MW for case I.

Figure 4. shows the best convergence behaviors of TSA. From figure 4, it is observed that TSA converged to the optimum cost from 32 iteration; it is quickly faster than SOA[32], CSA[32], and FFA[32]. By analyzing the convergence curve, we show that TSA has fast and has better convergence with earlier iterations than CSA, SOA and FFA algorithms.

## 5 Conclusion

The solution of the DELD problem with RESs is critical for the economic and reliable operation of the power system. TSA has been proposed for solving the DELD problem for different combination of RESs, ranging from classical optimization algorithms to metaheuristic algorithms. Among these techniques, the TSA has shown promising results for solving the DELD. However, the selection of the appropriate solution technique depends on the size and complexity of the power system, and it is an active area of research for power system optimization. The results obtained by applying the algorithm of the search for tunicate to the problems of the flow of power known as the economic dispatch and by taking into account the investment costs of renewable energies are very convincing and show that they have a strong applicability to solving these problems. These results are also comparable with other results obtained in the same field and satisfy.

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