

Lifetime Studies of Compound Nuclei in the "Statistical" Continuum

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We have used the crystal-blocking technique to study changes in compound-nuclear lifetimes produced by changes in continuum conditions (proton bombarding energy) or in detected outgoing proton energies in inelastic scattering.<sup>1</sup>

The enhancement effect of an isobaric analog resonance on the underlying Coulomb-admixed fine structure was demonstrated,<sup>2</sup> as well as the difference in arrival times of shape-elastic (prompt) and compound-elastic protons.<sup>3</sup> Sub-micron-thick single-crystal targets of Ge and Ni, as well as both one- and two-dimensional<sup>4</sup> position-sensitive detectors allowed us to observe axial blocking patterns efficiently.

Concentrating on the case of Ni,<sup>5</sup> thin- (evaporated) target elastic and inelastic scattering excitation curves show fluctuations (Fig. 1) which we showed not to be normal Ericson fluctuations since the extracted coherence widths ( $\sim 10$  keV) exceeded by at least two orders of magnitude the mean widths inferred from our lifetime determinations. We believe that the fluctuations are in fact Ericson fluctuations of  $T_1$  (analog) states whose density and widths in the rather special case of Ni + p are of the right order at these excitation energies ( $\sim 10$  MeV).

For the case of elastic proton scattering we were able to extract both the fraction of compound-elastic contribution and its lifetime (Table I), using an elaborate charged-particle penetration code<sup>6,7</sup> for matching the experimental blocking dips (Fig. 2). Moreover, we were able to set the limits on the deviation from exponential decay of compound-elastic scattering at the  $10^{-17}$ -second level. (Cf. Table I.) An interesting difference in lifetimes can be seen at two neighboring excitation energies for <sup>59</sup>Cu, showing indications of non-statistical (intermediate structure) effects in the continuum.

I wish to acknowledge the many contributions to this work by my colleagues as well as the support of the N.S.F.

References

- <sup>1</sup>See e.g. W. M. Gibson, *Ann. Rev. Nucl. Sci.* **25**, 465 (1975).
- <sup>2</sup>W. M. Gibson et al., *Phys. Rev. Lett.* **29**, 74 (1972); *Nucl. Phys.* **A317**, 313 (1979).
- <sup>3</sup>E. P. Kanter et al., *Phys. Rev. Lett.* **35**, 1326 (1975).
- <sup>4</sup>Furnished by E. Laegsgaard, Univ. of Aarhus, Denmark.
- <sup>5</sup>E. P. Kanter et al., *Nucl. Phys.* **A299**, 230 (1978).
- <sup>6</sup>Y. Hashimoto et al., *Phys. Rev. Lett.* **30**, 995 (1973).
- <sup>7</sup>K. Komaki, *Bull. Am. Phys. Soc.* **20**, 692 (1975).

TABLE I. Results of decay probability fits for Ni(p,p<sub>0</sub>). f<sub>SE</sub> = shape-elastic fraction; τ in units of 10<sup>-18</sup> sec is the extracted lifetime; β in units of 10<sup>18</sup> sec<sup>-1</sup> gives non-exponential decay component.

E <sub>p</sub> (MeV)	f <sub>SE</sub> (%)	τ (as)	β (as <sup>-1</sup> )
5.65	80.3 ± 2.4	43.9 ± 1.9	1.9 ± 3.0
6.50	76.8 ± 4.2	63.0 ± 3.9	0.5 ± 3.3

$$F(t) = f_{SE} \delta(t) + \frac{(1-f_{SE}) e^{-t/\tau} (1+\beta t + \gamma t^2 + \dots)}{\int e^{-t/\tau} (1+\beta t + \gamma t^2 + \dots)}$$

Figure Captions:

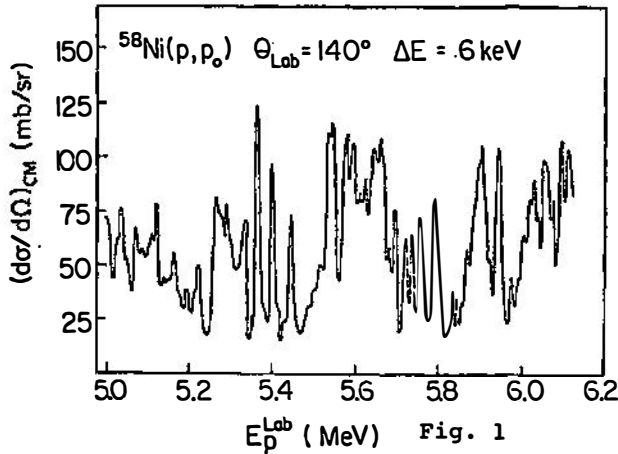


Fig. 1. Thin-target excitation function for <sup>58</sup>Ni(p,p<sub>0</sub>) at 140°, between 5.0 and 6.2 MeV.

Fig. 2. Fits to circular scans of two-dimensional blocking data at 140°. f<sub>CE</sub> ≡ 1 - f<sub>SE</sub>. MS-SE = Multiple-String-Statistical Equilibrium calculations (Ref. 7). Recoil reflects lifetime. (a) E<sub>p</sub> = 5.65 MeV; (b) E<sub>p</sub> = 6.50 MeV.

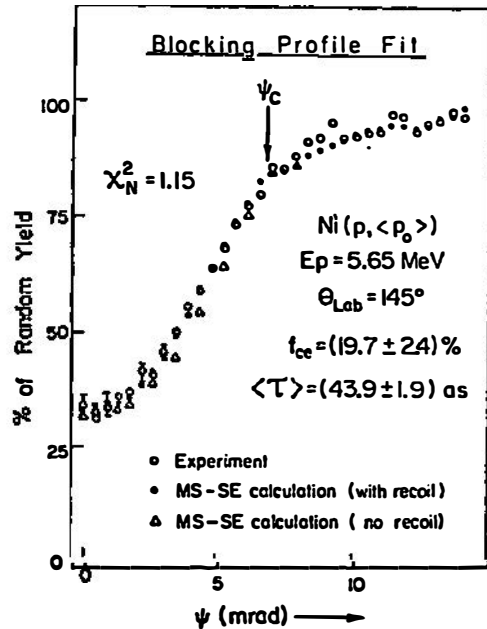
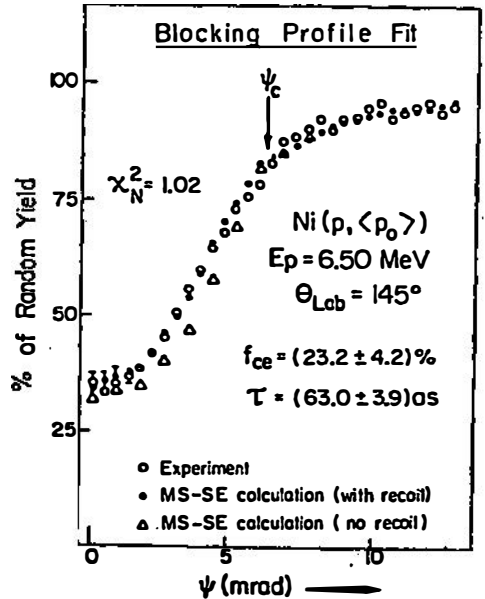


Fig. 2



(a)

(b)