

Rotations as coherent states of SU(6) quadrupole phonons in
the SU(3) Limit

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Analytic expressions for the wave functions of the ground-state rotational band for even and odd nuclei are derived in terms of spherical quadrupole phonons, truncated at N phonons¹⁾:

$$|I\rangle_{\text{GSB}} = \sum_{n=0}^N \sum_{\gamma} A_{n\gamma I}^{\text{norm}} |n\gamma I\rangle,$$

$$A_{n\gamma I} = (-)^n 2^{n/2} \left(\frac{N!}{n!(N-n)!} \right)^{1/2} C_{\gamma I}^{(n)},$$

$$B_i = \left(\sum_{n\gamma} (A_{n\gamma I})^2 \right)^{-1/2},$$

$$C_{\gamma I}^{(n)} = (2I+1)^{1/2} \sum_{I'} \sum_{\gamma'} \langle 2^{n-1} \gamma' I' 2 | \{ 2^n \gamma I \rangle \begin{pmatrix} 2 & I' & I \\ 0 & 0 & 0 \end{pmatrix} C_{\gamma' I'}^{n-1};$$

$$C_{\gamma I}^{(0)} = d_{\gamma 0}^I d_{I 0}^I, \quad C_{\gamma I}^{(1)} = d_{\gamma 1}^I d_{I 2}^I.$$

For $N \rightarrow \infty$ we obtain an I-independent asymptotic gaussian distribution of quadrupole phonons as an intrinsic structure of semiclassical rotations.

1) L.F.Canto and V.Paar, Phys.Lett. 102B (1981)217